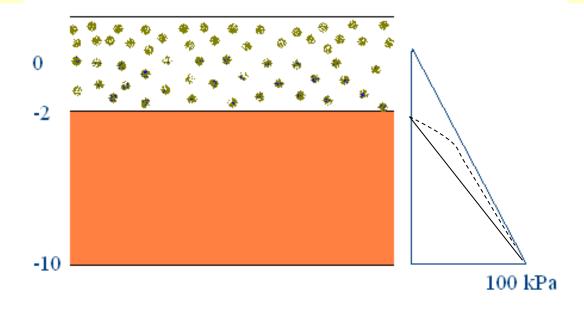
Triangular distribution of initial excess pore pressure



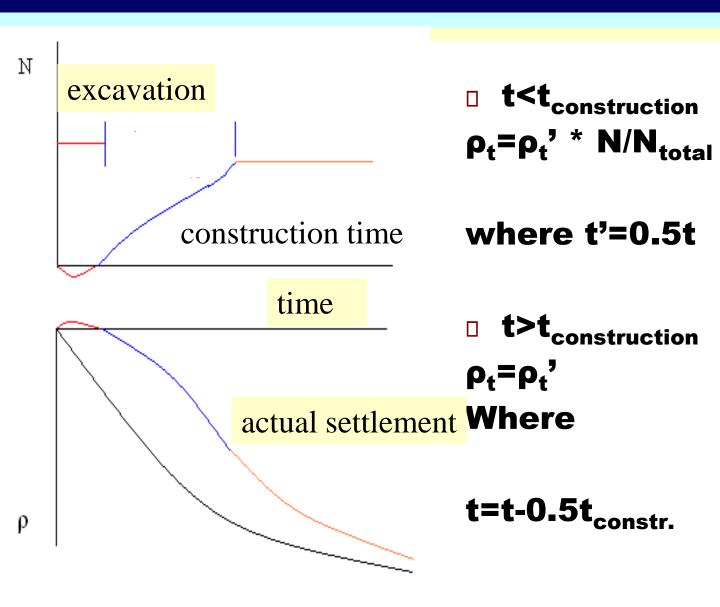
Excess pore pressure dissipation

 \rightarrow

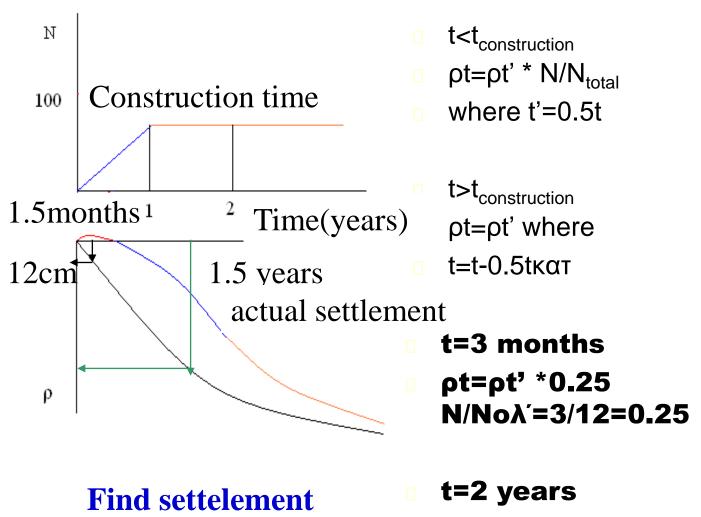
- Increase in effective stress
- Lowering the water table

Pumping of water at the bottom of the clay layer

Taylor (1948)



Linear increment of construction load



after 3 months

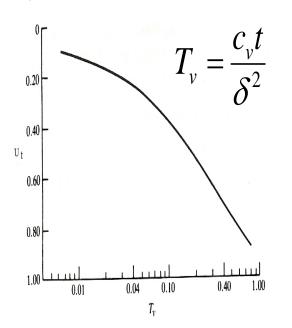
from beginning

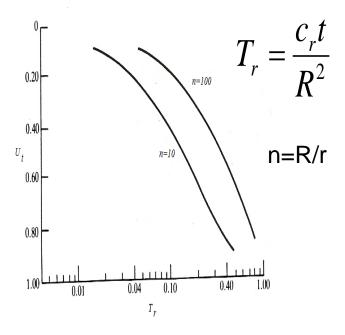
of construction

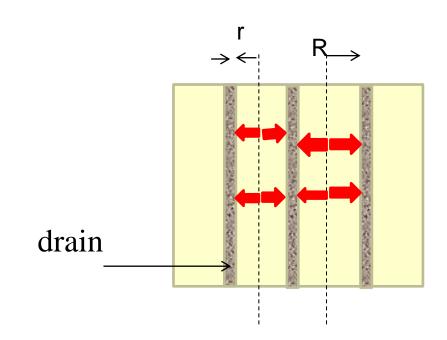
- ot=pt' where
- t=t-0.5t_{constr}=
 - 1.5 years

One-dimensional & Radial consolidation

1 x D consolidation (Taylor, 1948) Radial consolidation (Barron, 1948)









Anisotropic soil properties

 $k_r/k_v=2-10$ for normally consolidated clays (where r,v radial and vertical direction) Drains

Triangular or

rectangular layout De=1.05 * S

where De: equivalent dia or diameter of influence

De=1.13 * S

και S: distance between drains

Define

The distance S between drains and the radius Rd of the drain for average degree of consolidation U>90% at a time t

Calculation

The optimum design of the drains is defined by trial and error for various combinations of S & Rd

AVERAGE DEGREE OF CONSOLIDATION FOR VERTIVAL & RADIAL DRAINAGE

1-U = (1-Uz) * (1-Ur)

where Uz, Ur are the average degrees of consolidation for independent vertical and radial drainage conditions

$$T_{\mathcal{V}} = \frac{c_{\mathcal{V}} * t}{H^2}$$

$$T_r = \frac{c_r * t}{D_e^2}$$

where D_e the drain 'diameter of influence'

$$U_r = 1 - \exp(-8 * T_r / A)$$
 (1)
&

$$A = \ln \left[\frac{\text{Re}}{Rd}\right] - \frac{3}{4} + \left[\frac{k_r}{k_{r,s}} - 1\right] \ln \left[\frac{Rs}{Rd}\right]$$

SMEAR ZONE (ΖΩΝΗ ΑΝΑΜΟΧΛΕΥΣΗΣ)

Calculation of Ur from the exact analysis (equation 1) takes into account the existance of a smear zone having coefficient of permeability $k_{r,s}$ and diameter D_s .

assumptions:

• smear zone diameter $D_s=2\sim3*D_d$ where Dr is drain diameter

• the coefficient of permeability for the smear zone is similar to the coefficient of the soil permeability in the vertical direction

$$k_{r,s} / k_v = 1 \sim 1.5$$